Impact of the Southwest Chicago Math Teachers' Circle on the Disposition of Teachers Toward Mathematics and Toward the Teaching and Learning of Mathematics

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### About the SW Chicago Math Teacher Circle

- Started as a collaboration of faculty members from five Chicago-land college and universities along with two middle school math teachers
- Location rotates among several colleges and universities (Lewis University-Romeoville, Saint Xavier University-Chicago, Trinity Christian College-Palos Heights)
- Started in spring 2016 with initial launch event on May 12 (Lewis), summer immersion workshop August 1-3 (Trinity)
- Participants: Middle (and elementary and high) school teachers in the southwest Chicago suburbs

### Study Purpose

- To assess the effect of participation in a Math Teachers' Circle on:
- > the perceived importance of, confidence of, and implementation of teachers to use inquiry-based learning in their classroom
- > the dispositions of teachers toward mathematics
- > the disposition of teachers toward the teaching of mathematics

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### Three-Day Immersion Workshop (August 2016 at Trinity Christian College)



- Number of participants (excluding leadership team and guest leaders): August 1- 22, August 2- 17, August 3- 17
- Melissa Loe and Brenda Kroschell (University of St. Thomas in St. Paul, Minnesota) served as national lead speakers

### Three-Day Immersion Workshop

- > A total of 8 sessions (1.5 to 2 hours each) over 3 days, with meals, snacks, time to reflect, etc.
  - > Day 1: Problem Solving, Liar's Bingo
  - Day 2: Twenty-five Point Affine Geometry, Fibonacci Fun, Coins in Two-Land, Exploding Dots
  - > Day 3: Pascal's Triangle, Classroom Scenarios

### > Study administration:

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- > Survey administered after Session 1 (Day 1)
- Survey administered after Session 8 (Day 3)
- Prompted reflections after each session
- > 13 participants completed both the pre-workshop and post-workshop survey

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### Participant Backgrounds

- > Number of years taught
  - > 1 year or less: 44.4%
  - > 1 to 5 years: 22.2%
  - > 5 to 10 years: 11.1%
  - > more than ten years: 22.2%

#### > Grade levels

- > Fifth grade: 23%
- > Middle school: 54%
- > Middle and high school: 8%
- > High school: 15%

#### > Highest degree

- > Bachelors: 67%
- > Masters: 33%

## Survey Design

- > First part:
  - 28 items:
    - > Encourage social interaction as a means of learning
    - > Provide hands-on experiences before introducing new concepts
    - > Create open-ended problems
    - > Engage students in inquiry-oriented activities
  - How important do you feel it is for effective mathematics instruction (1 being not important to 6 being very important),
  - How confident do you feel in applying it in the classroom (1 being not confident to 6 being very confident)
  - How frequently do you implement it (1 being not frequent to 6 being very frequent)

## Survey Design

- > Second part (27 items):
  - A mathematician should be able to solve any mathematics problem or puzzle
  - > Mathematics is an activity which is done alone, not with others
  - > Solving mathematics problems requires patience
  - > There are multiple means to discover a mathematical concept

### > Third part (30 items):

- > I believe all students can understand mathematics through an investigative approach
- > Lecturing is the best way to teach mathematics
- > Forced-choice 6-point Likert scale
  - > 1 -Strongly Disagree, 2- Disagree, 3- Sometimes Disagree
    - 4 -Sometimes Agree, 5 –Agree, 6- Strongly Agree

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#### Survey Results - Confidence in Creating Opportunities to Develop Students' Conceptual Understanding of Mathematics

 P-value: 0.023; 50% reported increased confidence with 50% reporting no change in confidence.



#### Survey Results - Creating Opportunities for Students to Communicate Mathematics Verbally

> Confidence in applying it:

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- P-value: 0.008; 58% reported increased confidence with 42% reporting no change in confidence.
- > Frequency of implementing it:
  - P-value: 0.009; 67% reported increased frequency of implementation with 33% reporting no change.



#### Implementation Level in Creating Opportunities for Students to Communicate Mathematics Verbally

#### Survey Results - I Feel Inventive When Solving an Unfamiliar Math Problem

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 P-value: 0.026; 46% reporting stronger agreement, 54% reporting no change in agreement to this statement. Note that 2 out of 13 teachers changed their response from "Disagree" to "Strongly Agree".



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#### Survey Results - The Average Math Student Can, at Best, Memorize Math Procedures and Apply Formulas.

- > P-value: 0.053; 46% report weaker agreement.
- > Pre-workshop: 46% disagree or strongly disagree
- > Post-workshop: 67% disagree or strongly disagree





Survey Results – Incorporate Multiple Representations (e.g., computational, graphical, geometric, algebraic, etc.) when introducing a concept.

- > P-value: 0.009; 67% report increased implementation
- > Pre-workshop median: 4
- > Post-workshop median: 5.5



#### Implementation in Incorporating Multiple Representations

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#### Survey Results - Allow Students to Work at Their Own Pace.

- > P-value: 0.007; 67% report increased implementation
- > Pre-workshop median: 4
- > Post-workshop median: 5



Allow Students to Work at Their Own Pace

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### Survey Results – Journal Reflections

- "Each activity continues to open possibilities I hadn't considered doing with my students." (Coins in Two-Land)
- "I've noticed that I'm becoming less afraid to try different things." (Pascal's Triangle)
- "I learned that you not only have to problem solve to get to the answer but also to get to a response to your students." (Classroom Scenarios)
- It made me understand the vast usefulness of productive struggle. My students need to engage in this type of problem weekly! It would help them learn to persevere!! (25-Point Affine Geometry)

### Future Considerations

- > Include other Math Teachers' Circles
- > Data from one-day participants
- Investigate those items which did not show significant change:
  - It is important to immediately assist struggling students (5.5/5.5)
  - > Confidence in incorporating student-led discussions (4/4)

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### Thank you!

- > Angela Antonou (University of St. Francis), co-principal investigator: <u>aantonou@stfrancis.edu</u>
- > Rita Patel (College of DuPage), principal investigator ritapatelmath@gmail.com
- Southwest Chicago Teacher Circle Website: <u>https://southwestchicagomathcircle.wordpress.com/</u>
- > National Math Teacher Circle Website (and resources): http://www.mathteacherscircle.org/

#### Survey Results - Creating Open-ended Problems

> Confidence in applying it:

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- P-value: 0.053; 50% reported increased confidence with 42% reporting no change in confidence, 8% reporting slight decrease in confidence.
- > Frequency of implementing it:
  - P-value: 0.034; 42% reported increased frequency of implementation with 58% reporting no change.



Implementation in Creating Open-ended Problems

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### Significant Changes

- > Use multiple instructional strategies for one topic (implementation) 0.034
- Create opportunities to develop students' conceptual understanding of mathematics: Confidence – 0.023; Implementation – 0.014
- Encourage students to discuss their reasoning with each other (implementation)
  0.014
- > Incorporate activities which students find enjoyable (implementation) 0.02
- > Create problems so that students can practice routine computations. 0.012
- Allow students to work at their own pace: Confidence 0.038; Implementation 0.007
- Create opportunities for students to communicate mathematics verbally: Confidence – 0.008; Implementation – 0.009
- Create open-ended problems (implementation) 0.034

### Significant Changes

- Incorporate multiple representations (e.g., computational, graphical, geometric, algebraic, etc.) when introducing a concept: Confidence (0.035); Implementation (0.009)
- Help students see connections between mathematics and other disciplines (Importance) – 0.008
- Provide hands-on experiences before introducing new concepts (implementation) – 0.034
- > I feel inventive when solving an unfamiliar math problem. 0.026
- If I don't fully understand a mathematics concept, I avoid using it in the classroom. – 0.014
- > I avoid using instructional techniques if I am unfamiliar with it 0.035
- > The average math student can, at best, memorize math procedures and apply formulas. 0.053

# Survey Results – Confidence in Encouraging Students to Persevere in Solving Problems

- P-value: 0.059; 50% report stronger agreement.
- Journal Reflection on Perseverance:
  - > Struggle is good even if you don't get there in the time provided.
  - It made me understand the vast usefulness of productive struggle. My students need to engage in this type of problem weekly! It would help them learn to persevere!!
  - > I learned and was immersed in the example of a master teacher helping us when we needed a boost, but at the same time I was respected as a learner because she didn't show me a step-by-step procedure on how to solve the problem.

### Survey Results – Journal Reflections

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- Response from the same individual during the workshop:
  - > Day 1: "My problem solving strategies begin with a little "panic" trying to decide where to start. Then I usually do not finish."
  - Day 2 : "I liked the challenges of looking at and working with a twist on my geometry. I learned that I can still (after many years removed from college) find success in an unfamiliar (setting)."
  - > Day 3: "I'm feeling more confident about the importance of struggle and cooperation."